

The Demographic Transition

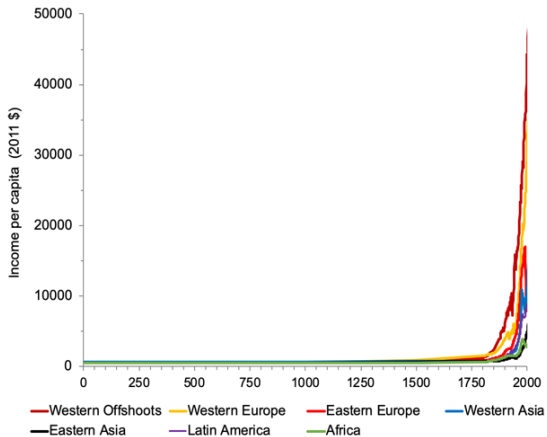
Oded Galor

February 19, 2023

Two Mysteries

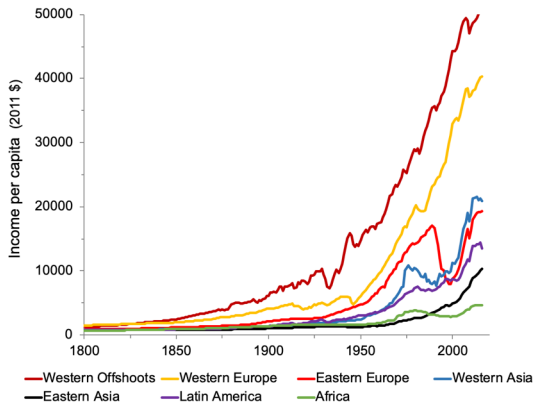
- The Mystery of Growth:
 - What are the roots of the dramatic improvement in living standards in the past two centuries, after hundreds of thousands of years of stagnation?
- The Mystery of Inequality
 - What is the origin of the vast inequality in income per capita across countries and regions?

Metamorphosis: Income per Capita: 1–2020



Data Source: Maddison Project (2020)

Great Divergence: 1800–2018



Data Source: Maddison Project (2020)

Resolution of these Mysteries

- Requires the identification of:
 - Forces that permitted the transition from stagnation to growth
 - The origins of the differential timing of the transition across the globe
 - The role of historical & pre-historical factors in this process
- Provides important insights about:
 - Design of strategies to mitigate inequality across the globe

Evidence

- The demographic transition is critical for the understanding of:
 - The timing of the transition from stagnation to growth
 - The vast inequality across countries and regions
- The forces that triggered the onset of the demographic transition
 - Central to the resolution of the mysteries of growth & inequality

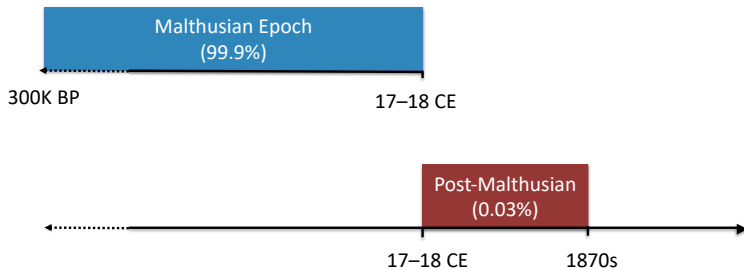
Phases of Development

- The Malthusian Epoch
- The Post-Malthusian Regime
- The Modern Growth Regime

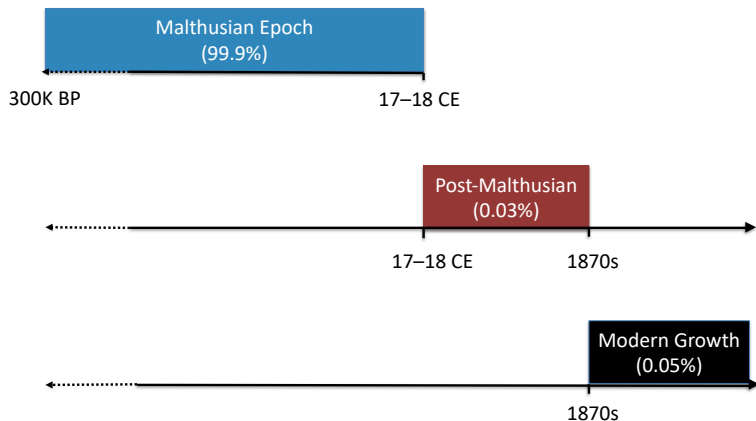
Phases of Development: Timeline in the Most Developed Economies



Phases of Development: Timeline of the Most Developed Economies



Phases of Development: Timeline of the Most Developed Economies



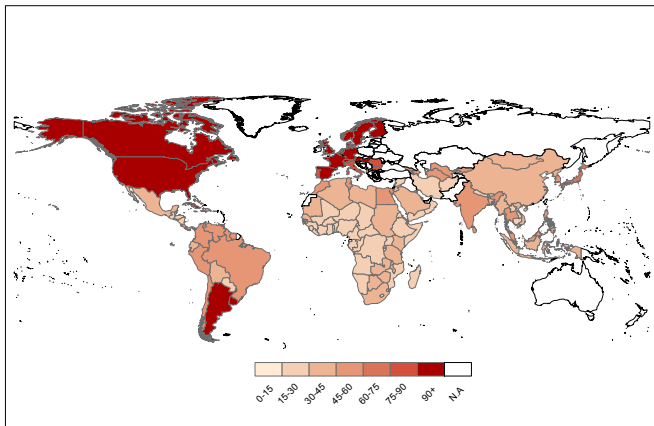
The Transition to the Modern Growth Regime

- The rotation of the 'Wheels of Change' intensified
 - Population size & composition \Rightarrow Technological progress
 - Technological progress \Rightarrow Population size & composition
- Technological progress accelerated & ultimately reaching a critical threshold
 - Human capital became essential for coping with the rapidly changing technological environment
- Human capital formation triggered a reduction in fertility (quantity-quality trade-off)
 - The Malthusian equilibrium vanished
 - Growth was freed from the counterbalancing effect of population
- Tech progress & human capital formation & decline in population growth
 - \Rightarrow Sustained economic growth

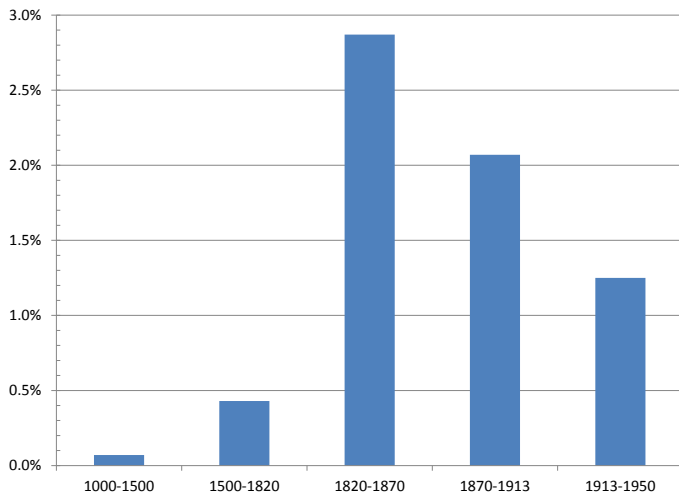
The Demographic Transition

- Reversal of the positive relationship between income and population
- Fertility, mortality & population growth decline very rapidly
- The potential impact of technological progress on economic prosperity
 - No longer counterbalanced by population growth
 - \implies Transition to Modern Growth

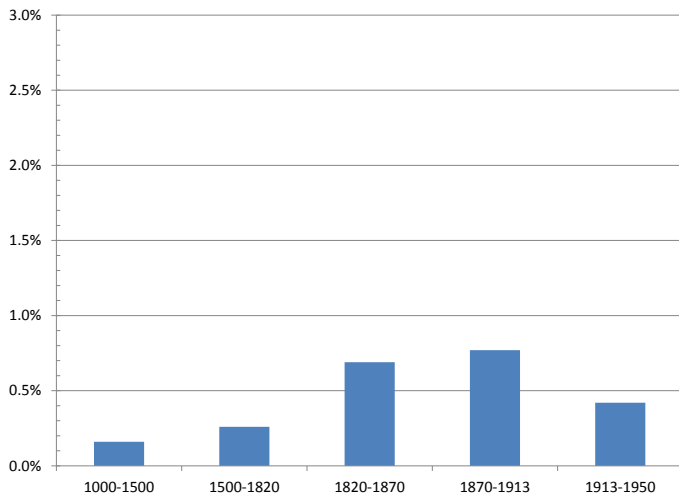
Years Elapsed since the Onset of the Fertility Decline



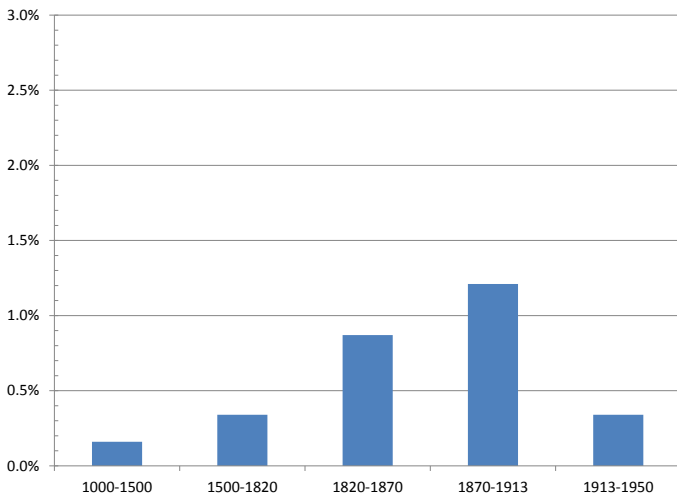
Early Fertility Decline – Western Offshoots



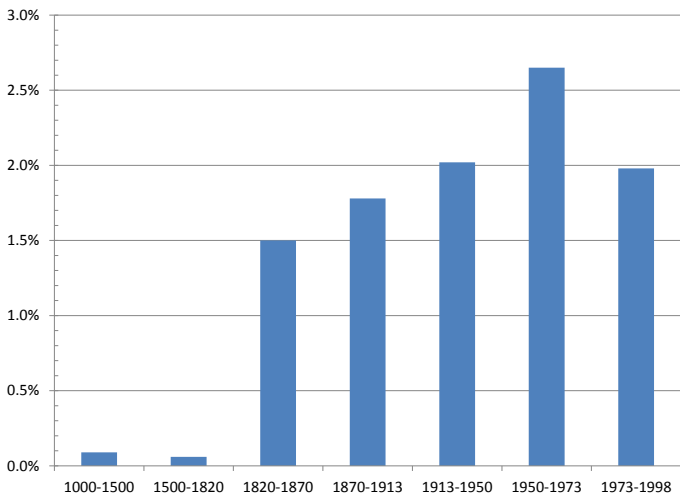
Early Fertility Decline – Western Europe



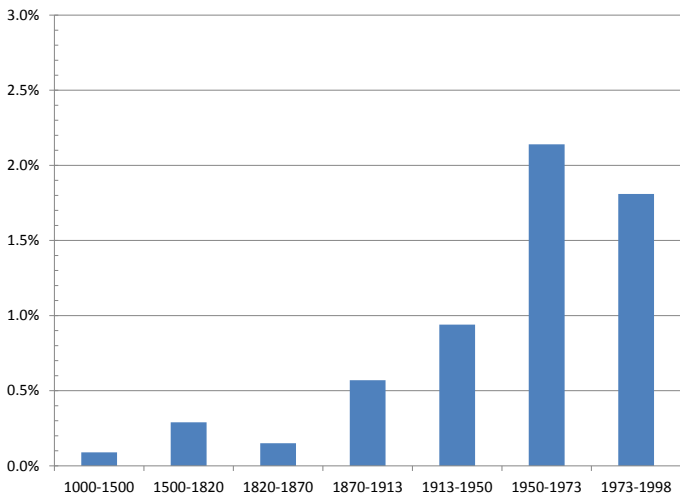
Early Fertility Decline – Eastern Europe



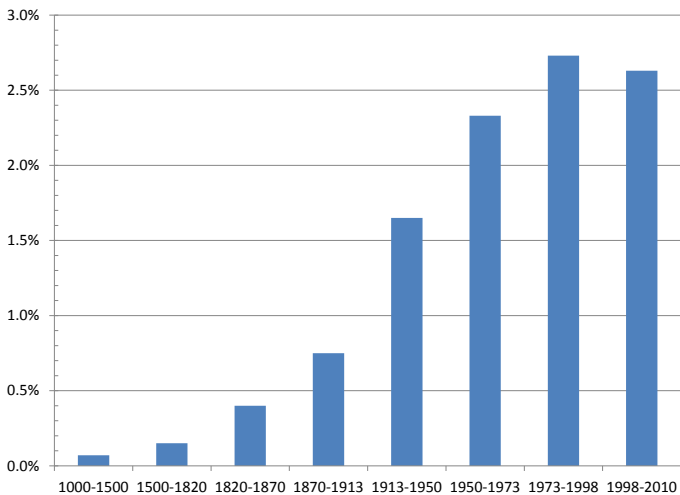
Late Fertility Decline – Latin America



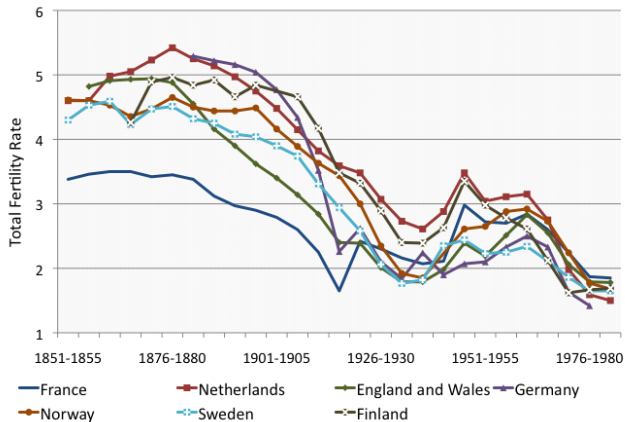
Late Fertility Decline – Asia



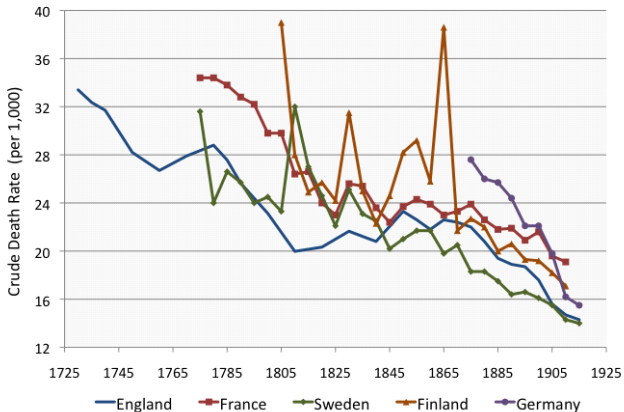
Late Fertility Decline – Africa



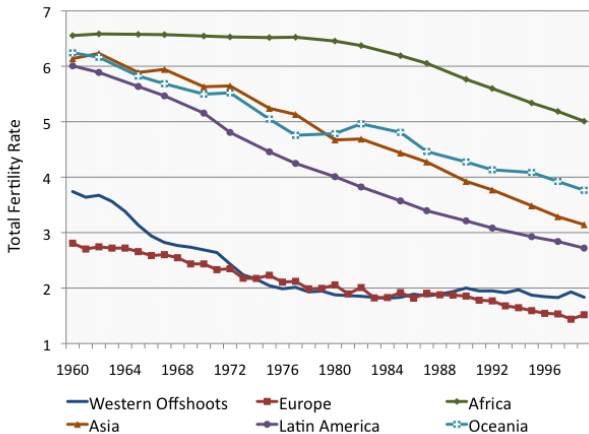
The Demographic Transition in Western Europe: Total Fertility Rates



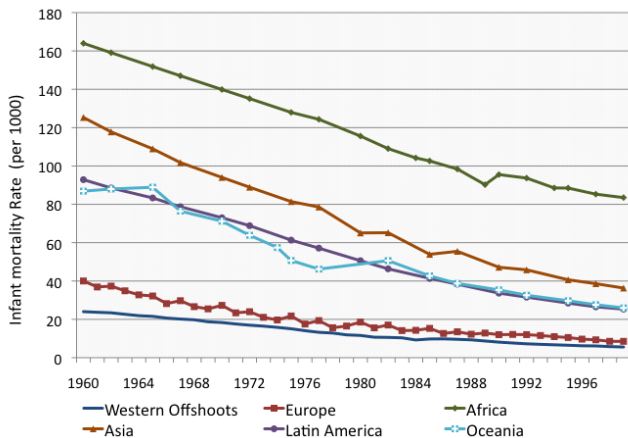
Mortality Decline Western Europe: 1730-1920



The Evolution of Total Fertility Rate across Regions, 1960-2000



Decline in infant mortality rates across regions, 1960-2000



Theories of the Demographic Transition

- The Rise in Income (Becker, 1960)
 - The cost of raising children is primarily parental time
 - The rise in income increased the opportunity cost of raising children
 - \Rightarrow Reduction in fertility (Becker, 1960)
 - The income elasticity w/r to child quality is larger than that w/r to quantity
 - The rise in income \Rightarrow substitution of child quality for quantity
 - \Rightarrow Reduction in fertility (Becker and Lewis, JPE 1973)

Theories of the Demographic Transition

- The Decline in Child Mortality
 - In an environment characterized by higher child mortality
 - Higher birth is required to attain the desirable number of children
 - The decline in child mortality
 - Reduced the birth rate needed to achieve the desirable # of children
 - \Rightarrow Reduction in fertility

Theories of the Demographic Transition

- The Old-Age Security Hypothesis (Caldwell, 1976)
 - In an environment characterized by limited financial markets
 - Children can provide old-age support
 - Children are partly a form of an investment good
 - Development of financial markets
 - \Rightarrow Reduced the demand for children as an investment good
 - \Rightarrow Reduction in fertility

Theories of the Demographic Transition

- The Decline in the Gender Wage Gap (Galor-Weil, AER 1996)
 - The process of development decreased the gender gap
 - Mechanization - Female-biased technological progress
 - The rise in the relative wages of women:
 - Opportunity cost of raising children] $\uparrow\uparrow > [\text{family income}] \uparrow\uparrow$
 - \Rightarrow Reduction in fertility

Theories of the Demographic Transition

- The Rise Human Capital Formation
 - Industrial demand for human capital increased the return to human capital (Galor and Weil, AER 2000)
 - \Rightarrow Human capital formation
 - \Rightarrow Substitution of child quality for quantity
 - \Rightarrow Reduction in fertility
 - Adaptation in the composition of human traits (Galor and Moav, QJE 2002, Galor and Klemp, Nature EE, 2019)
 - Increase in the prevalence of predisposition towards child quality
 - \Rightarrow Substitution of child quality for quantity
 - \Rightarrow Reduction in fertility

The Rise in Income - Main Hypothesis

- The Rise in Income (Becker, 1960)
 - The cost of raising children is primarily parental time
 - The rise in income increased the opportunity cost of raising children
 - \Rightarrow Reduction in fertility (Becker, 1960)
 - The income elasticity w/r to child quality is larger than w/r to quantity
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 - \Rightarrow Reduction in fertility (Becker and Lewis, JPE 1973)

The Rise in Income: Mechanism

- Child rearing is time-intensive
- Household's Budget constraint

$$y\tau n + c \leq y$$

- $y \equiv$ household's income
 - $c \equiv$ household's consumption
 - $n \equiv$ household's children
 - $\tau \equiv$ time cost per child
 - $y\tau \equiv$ opportunity cost of raising a child
- Equivalently

$$c \leq y - y\tau n = y(1 - \tau n)$$

- $1 \equiv$ household's time endowment
- $\tau n \equiv$ time spent raising children
- $(1 - \tau n) \equiv$ labor force participation

The Rise in Income: Mechanism

- The rise in income generates two conflicting effects:

- An income effect:

$$y\tau n + c \leq [y] \uparrow$$

- More income can be devoted to raising children
- operates towards $n \uparrow$

- A substitution effect:

$$\uparrow [y\tau] n + c \leq y$$

- The opportunity cost of raising children increases
- operates towards $n \downarrow$

The Rise in Income: Mechanism

- The Beckerian Hypothesis
 - The substituting effect dominates at a higher level of income
 - As income increases fertility declines
 - Fertility declines in the process of development (in which income increases)

The Rise in Income - Theoretical Evaluation

- Preference-based theory
 - Assumes innate bias against child quantity beyond a certain level of income
- Non-robust
 - Different preferences will generate qualitatively different results
 - Homothetic preferences: a rise in income will NOT trigger fertility decline

The Rise in Income - Homothetic Preferences

- Preferences:

$$u = n^\gamma c^{(1-\gamma)} \quad 0 < \gamma < 1$$

- Budget constraint

$$y\tau n + c \leq y$$

- Optimization: (fraction γ of income is spent on children and $(1 - \gamma)$ on consumption)

$$y\tau n = \gamma y$$

$$c = (1 - \gamma)y$$

The Rise in Income - Homothetic Preferences

- Optimal number of children [$y\tau n = \gamma y$]

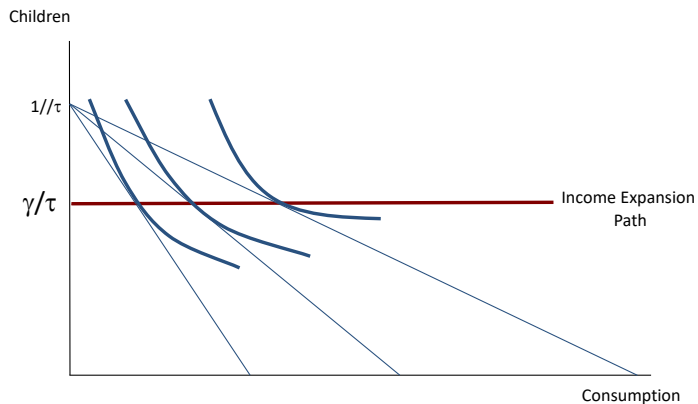
$$n = \gamma/\tau$$

- \Rightarrow Income has no effect on fertility, i.e.,

$$|\text{Income effect}| = |\text{Substitution effect}|$$

- Fertility is unaffected by the rise in income

The Rise in Income - Homothetic Preferences



- $1 =$ Household's time endowment
- $\gamma =$ The optimal time devoted to children ($\gamma/\tau =$ optimal number of children)
 - \Rightarrow number of children is independent of the level of income

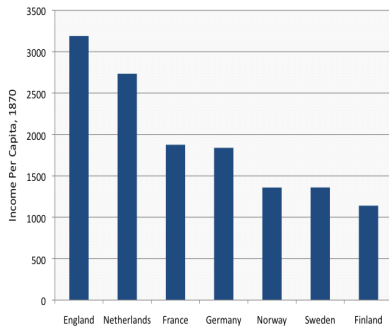
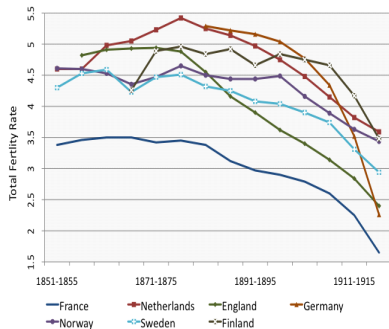
The Rise in Income: Testable predictions

- Cross-Country
 - The timing of the fertility decline is inversely related to the level of income per capita
- Within an economy
 - The number of (surviving) children is inversely related to their levels of income across households

The Rise in Income: Refuting Cross Country Evidence

- Cross Section of Countries (1870-2000)
 - Income per worker is positively associated with fertility rates, accounting for mortality rates and education (Murtin, RESTAT 2015).
- Western Europe
 - The DT occurred within the same decade across countries that differed significantly in their income per capita

Simultaneous DT despite large gaps in income: W. Europe in the 1870s



The Rise in Income: Refuting Evidence from Individual Countries

- France (1876–96)
 - Income per capita had a positive effect on fertility rates during France's demographic transition, accounting for education, the gender literacy gap, and mortality rates (Murphy JOEG 2015)
- England (During the DT):
 - The rise in income had led to an increase in fertility rates (Fernandez Villaverde, 2001)
- England (pre-industrialization)
 - Reproductive success increases with income (Clark (JEH 2006, De la Croix et al., JEG 2019)

The Decline in Child Mortality - Main Hypothesis

- Parents generates utility from the number of surviving children
- In an environment characterized by higher child mortality
 - Higher birth is required to attain the desirable number of children
- The decline in child mortality
 - Reduced the birth rate needed to achieve the desirable # of children
 - \Rightarrow Reduction in fertility

The Decline in Mortality – Mechanism

- Preferences:

$$u = n^\gamma c^{(1-\gamma)} \quad 0 < \gamma < 1$$

- $c \equiv$ household's consumption
 - $n \equiv$ household's surviving children
- Surviving children

$$n = (1 - \theta)n^b$$

- $n^b \equiv$ household's children born
- $\theta \equiv$ child mortality rate

The Decline in Mortality – Mechanism

- Budget constraint

$$y\tau n + c \leq y$$

- $y \equiv$ household's income
- $c \equiv$ household's consumption
- $\tau \equiv$ time cost of raising a surviving child
- $y\tau \equiv$ opportunity cost of raising a surviving child
- $0 \equiv$ time cost of raising a non-surviving child

The Decline in Mortality – Mechanism

- Optimization:

$$y\tau n = \gamma y$$

$$c = (1 - \gamma)y$$

- Optimal number of surviving children (NRR - Net Reproduction Rate)

$$n = \gamma/\tau$$

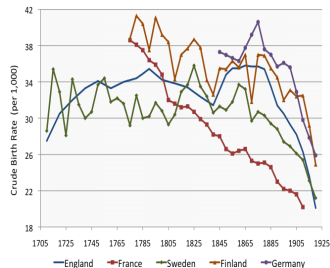
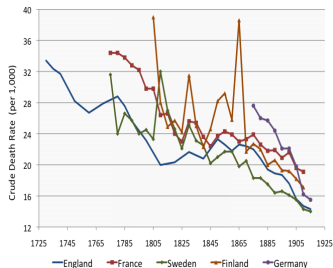
- Optimal number of children born (TFR - Total Fertility Rate)

$$n^b = \frac{n}{(1 - \theta)} = \frac{\gamma}{(1 - \theta)\tau}$$

The Decline in Mortality – Testable Predictions

- Child mortality rate, θ , has
 - A positive effect on TFR
 - $n^b = \gamma/[\tau(1 - \theta)]$ increases in θ
 - No effect on NRR
 - $n = \gamma/\tau$ is independent of θ

The Decline in Mortality and Fertility (TFR) - Evidence



The Decline in Child Mortality – Challenging Evidence to the Theory

- Worldwide
 - NRR and TFR plummet jointly during the demographic transition
 - Basic theory \Rightarrow NO decline in NRR
- NRR would decline if:
 - There exists a precautionary demand for children
 - RA with respect to fertility $>$ RA with respect to consumption (False)
 - Replacement fertility is insignificant (False; empirical estimates 0.2–0.6)
 - Resources saved from investment in non-surviving children are not channeled towards higher fertility

The Decline in Child Mortality – Challenging Evidence to the Theory

- France, USA & Some LDCs:
 - The decline in mortality did NOT precede the decline in fertility
- Western Europe
 - No change in the patterns of mortality decline at the time of the sharp decline in fertility
- England:
 - The decline in mortality started in England in the 1720s (150 years before the fertility decline) and was accompanied by a rise in fertility rates til 1800

The Decline in Mortality: Refuting Evidence from Individual Countries

- France (1876–96):
 - Mortality rate had no effect on fertility during France's demographic transition, accounting for education, income, and the gender literacy gap. (Murphy JOEG 2015)
- England (1861–1951):
 - The force associated with the decline in child mortality would have led to an increase in fertility rates (Fernandez Villaverde, 2001; Doepke, J.Pop.E 2005)

The Old-Age Security Hypothesis

- In an environment characterized by limited financial markets
 - Children can provide old-age support
 - Children are (partly) a form of an investment good
- Development of financial markets
 - \Rightarrow Reduced the demand for children as an investment good
 - \Rightarrow Reduction in fertility

The Old-Age Security Hypothesis - Challenge to the Theory

- Old-age support is unlikely to be a major determinant of fertility & 30–50% decline in fertility during the DT
 - Rare examples in nature of offspring that support their parents
 - Life expectancy till 1750 fluctuating between 25-40
 - Institutions that provided old age support were formed before the DT
 - Richer individuals had better access to financial markets prior to the DT
 - ⇒ Lower need for children as investment good
 - BUT had HIGHER reproductive success

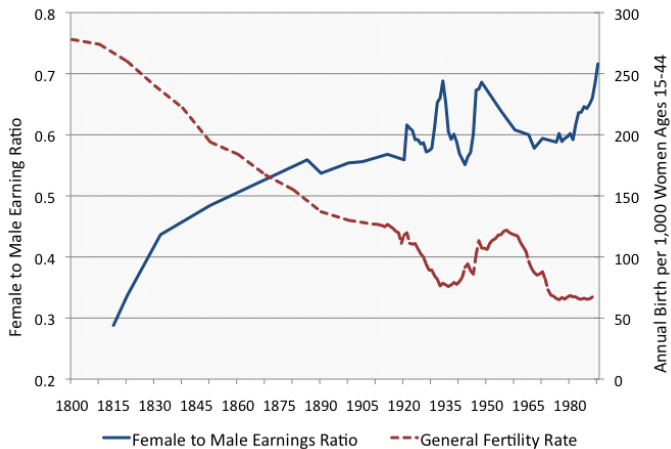
The Decline in the Gender Wage Gap

- The process of development decreased the gender gap
 - Mechanization - Female-biased technological progress
- The rise in the relative wages of women:
 - [opportunity cost of raising children] \uparrow $>$ [family income] \uparrow
 - \Rightarrow Reduction in fertility

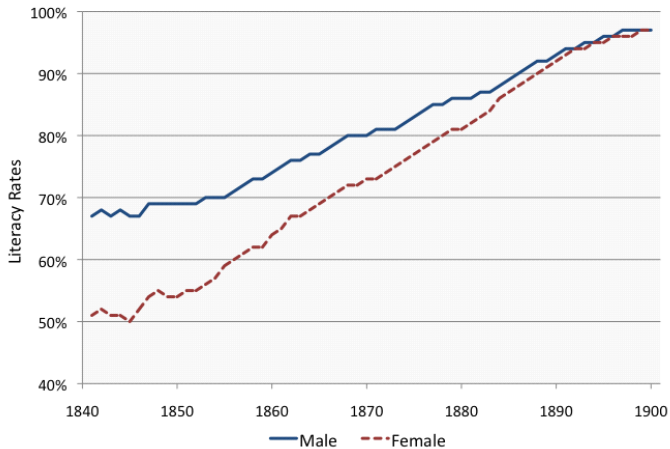
Mechanism: I. Development and Women's Wages

- Female-Biased technical change
 - Mechanization and advanced technologies have complemented mental tasks more than physical tasks
 - Women have physiological comparative advantage in mental (rather than physical) tasks
- The process of development has increased the productivity of women relative to men:
 - Economic Development $\rightarrow (w^F / w^M) \uparrow$
 - $w^F \equiv$ women's wages
 - $w^M \equiv$ men's wages

Evolution of the Gender Earning Ratio - US



Evolution of the Gender Literacy Gap - England



Mechanism: II. Women's Relative Wages and Fertility

- Child rearing is time-intensive
- Women are the prime care-takers engaged in child rearing
- Budget constraint (if only women raise children)

$$w^F \tau n + c \leq w^M + w^F$$

- $w^F + w^M \equiv$ household's income
- $c \equiv$ household's consumption
- $n \equiv$ household's (surviving) children
- $\tau \equiv$ time cost per child
- $w^F \tau \equiv$ opportunity cost of raising a child

Mechanism: II. Women's Relative Wages and Fertility

- The rise in women's wages, w^F , generates two conflicting effects:
 - An income effect:

$$w^F \tau n + c \leq w^M + [w^F] \uparrow$$

- More income for raising children \implies operates towards $n \uparrow$
- A substitution effect:

$$\uparrow [w^F \tau] n + c \leq w^M + w^F$$

- Opportunity cost of children increases \implies operates towards $n \downarrow$

.The Decline in the Gender Wage Gap

- If women work and raise children, an increase in w^F increases the opportunity cost of raising children more than family income i.e.,

$$w^F \uparrow \implies |\text{Income effect}| < |\text{Substitution effect}|$$

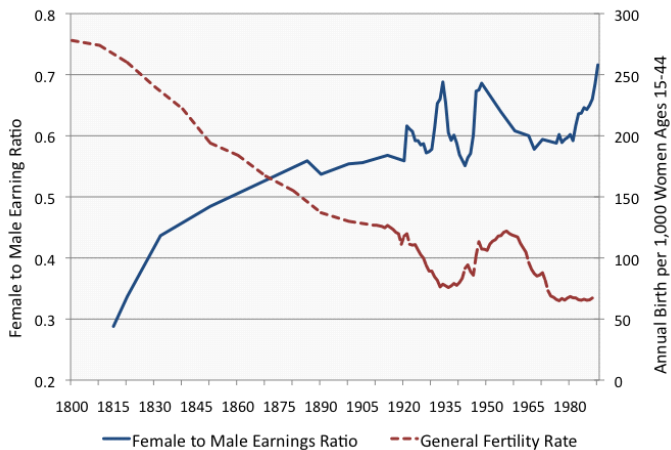
$$\implies n \downarrow \text{ (even if preferences are homothetic)}$$

- A rise in men's wages generate only an income effect

$$w^F \tau n + c \leq [w^M] \uparrow + [w^F]$$

\implies operates towards $n \uparrow$

Women's Relative Wages and Fertility - US



Women's Relative Wages and Fertility - Evidence

- Sweden (1936-1955)
 - $[w^F \uparrow \implies n \downarrow]$ & $[w^M \uparrow \implies n \uparrow]$ (Heckman and Walker (ECT 1990))
- Sweden (19th century)
 - $(w^F / w^M) \uparrow \implies n \downarrow$ Schultz (1985)
- France (1876–1896):
 - Reduction in the gender literacy gap had an adverse effect on fertility, accounting for income per capita, educational attainment, and mortality rates (Murphy JOEG 2015)

The Rise Human Capital Formation

- Industrial demand for human capital increased the return to human capital
(Galor and Weil, AER 2000)
 - HC enabled individuals to cope with changing technological environment
 - \Rightarrow HC formation \Rightarrow Substitution of child quality for quantity
 - \Rightarrow Reduction in fertility
 - Reinforced by:
 - The increased in life expectancy (the duration of the return in HC)
 - The decline in child labor (reduction in the profitability of children)
 - Increase urbanization (higher return to HC & cost of children)
- Adaptation of human traits (Galor and Moav, QJE 2002, Galor and Klemp, Nature EE, 2019)
 - An increase in the prevalence of predisposition towards child quality
 - \Rightarrow Substitution of child quality for quantity
 - \Rightarrow Reduction in fertility

The Model - Preferences

$$u = (1 - \gamma) \ln c + \gamma[\ln n + \beta \ln h]$$

- $c \equiv$ consumption
- $n \equiv$ (surviving) children
- $h \equiv$ quality (human capital) of each child
- $\beta \equiv$ degree of preference for child quality; $\beta < 1$

The Model - Budget Constraint

$$yn(\tau^q + \tau^e e) + c \leq y$$

- $y \equiv$ household potential income
- $\tau^q \equiv$ fraction of the household's unit-time endowment required to raise a child, regardless of quality
- $\tau^e \equiv$ fraction of the household's unit-time endowment required for each unit of education per child
- $(\tau^q + \tau^e e) \equiv$ time cost of raising a child with education level (quality) e
- $y(\tau^q + \tau^e e) \equiv$ opportunity cost of raising a child with quality e

Testable Predictions - Investment in Quality

The optimal level of investment in child quality increases if:

- The technological environment changes more rapidly

$$\partial e(g, \beta, \tau^e, \tau^q) / \partial g > 0$$

- Preferences for child quality are higher

$$\partial e(g, \beta, \tau^e, \tau^q) / \partial \beta > 0$$

- The cost of raising a child (regardless of quality) increases

$$\partial e(g, \beta, \tau^e, \tau^q) / \partial \tau^q > 0$$

- The cost of educating a child decreases

$$\partial e(g, \beta, \tau^e, \tau^q) / \partial \tau^e < 0$$

Testable Predictions - Investment in Quantity

The optimal number of children decreases if:

- The technological environment changes more rapidly

$$\partial n / \partial g < 0$$

- Preferences for child quality are higher

$$\partial n / \partial \beta < 0$$

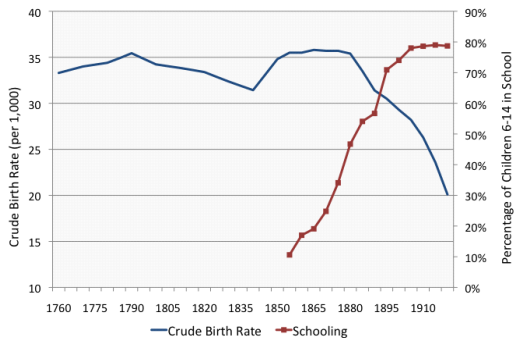
- The cost of raising a child (regardless of quality) increases

$$\partial n / \partial \tau^q < 0$$

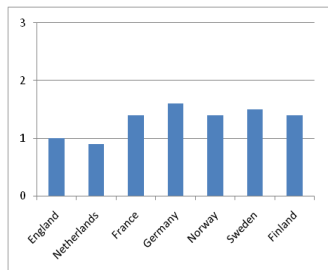
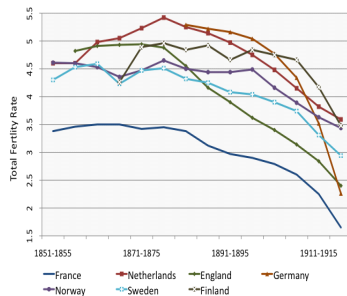
- The cost of educating a child increases and the elasticity of child quality with respect to the cost of child quality is smaller than one in absolute value

$$\partial n / \partial \tau^e < 0 \text{ if } [\partial e / \partial \tau^e][\tau^e / e] > -1$$

Human Capital Formation and the Fertility Decline - England



Growth Rates 1870-1913 and DT



Supporting Evidence

- US (1880-1910):
 - Eradication of hookworm (1910s) – a positive shock to the return to child quality
 - Adverse effect on fertility (Bleakley-Lange, RESTAT 2009)
 - Opening of kindergartens - an increase in the return to education
 - Adverse effect on fertility (Ager-Cinnirella, 2020)
- Prussia (19th century):
 - The rise in human capital formation (IV: Land concentration & Distance from the birthplace of Protestantism - Wittenberg)
 - Adverse effect on fertility (Becker-Cinnirella-Woessmann, JOEG 2010)
- France (1876–96):
 - Adverse effect of education attainment on fertility rates (Murphy JOEG 2015)

Supporting Evidence

- England (1580-1871)
 - Adverse effect of family size on children's literacy. (Klemp-Weisdorf, EJ 2019)
- China (13th-20th century)
 - Changes in the civil service examination system increase the return to human capital
 - Adverse effect on family size (Shiue, JOEG 2017)
- Ireland (1911)
 - Adverse effect of education attainment on fertility rates (Fernihough, JOEG 2017)

Appendix - Optimization

$$h = h(e, g)$$

- $h_e(e, g) > 0$ & $h_{ee}(e, g) < 0$
 - HC is increasing (in decreasing rates) in the parental time investment in the education of the child
- $h_g(e, g) < 0$ & $h_{gg}(e, g) > 0$
 - HC is decreasing in the rate of technological progress (obsolescence of HC in a changing technological environment)
- $h_{eg}(e, g) > 0$
 - Education lessens the obsolescence of HC in a changing technological environment
- $h(0, g) > 0$ & $\lim_{e \rightarrow 0} h_e(e, g) = \infty$; $\lim_{e \rightarrow \infty} h_e(e, g) = 0$
 - Basic level of human capital & interior solution

Optimization

$$\{n, e\} = \arg \max \gamma [\ln n + \beta \ln h(e, g)] + (1 - \gamma) \ln y [1 - n(\tau^q + \tau^e e)]$$

with respect to n :

$$\frac{\gamma}{n} = \frac{(1 - \gamma)y(\tau^q + \tau^e e)}{y[1 - n(\tau^q + \tau^e e)]}$$

$$\gamma[1 - n(\tau^q + \tau^e e)] = (1 - \gamma)(\tau^q + \tau^e e)n$$

$$n(\tau^q + \tau^e e) = \gamma$$

Optimization

$$\{n, e\} = \arg \max \gamma [\ln n + \beta \ln h(e, g)] + (1 - \gamma) \ln y [1 - n(\tau^q + \tau^e e)]$$

with respect to e :

$$\frac{\gamma \beta h_e(e, g)}{h(e, g)} = \frac{(1 - \gamma) y n \tau^e}{y [1 - n(\tau^q + \tau^e e)]}$$

since $n(\tau^q + \tau^e e) = \gamma$

$$\frac{\gamma \beta h_e(e, g)}{h(e, g)} = n \tau^e \implies \frac{\beta h_e(e, g)}{h(e, g)} = \frac{\tau^e}{(\tau^q + \tau^e e)}$$

$$\beta h_e(e, g) (\tau^q + \tau^e e) = \tau^e h(e, g)$$

Optimization

$$n = \gamma / (\tau^q + \tau^e e)$$

$$\tau^e h(e, g) = \beta h_e(e, g) (\tau^q + \tau^e e)$$

 \implies

$$e = e(g, \beta, \tau^e, \tau^q),$$

$$n = \gamma / [\tau^q + \tau^e e(g, \beta, \tau^e, \tau^q)]$$